



## Yellow Level

- (6 credits)** What is the maximum number of sides of a figure that is a common part of a triangle and a convex quadrangle? Give an example, please.
- (6 credits)** Winnie-the-Pooh's barrel contained 22 kg of honey and  $N$  kg of peanut butter. After adding 15 kg of peanut butter to the barrel, its content in the barrel increased by 33%. What is  $N$ ?
- (8 credits)** We found two divisors of 160 000. Their sum was equal to 1025. What was the larger of these divisors? Find all possible options.
- (8 credits)** Find the numerical value of  $(\sqrt{12} + 5\sqrt{3})(\sqrt{578} - 3\sqrt{8}) \cdot \sqrt{6}$ .
- (8 credits)** Let a natural number be called a 'number of interest', if for any natural  $k$  meeting the conditions  $1 < k < 8$  either this number is divisible by  $k$ , or its digits can be rearranged so that the resulting number will be divisible by  $k$ . Find the smallest number of interest.
- (10 credits)** In a right triangle, the sum of its sides is 70 and the sum of the squares of its sides is 1682. Find the square of the difference of its legs.
- (12 credits)** Each cell of a  $7 \times 7$  table contains a natural number. In any  $1 \times 3$  or  $3 \times 1$  part of this table, the sum of numbers contained in its cells is 7. Can the sum of all numbers contained in the table be equal to 120?
- (12 credits)** There are several rooks on the chessboard. A study composer wants to paint each rook any of  $N$  colours to avoid the situation when two rooks of the same colour can take each other. What is the smallest  $N$  meeting such conditions for any arrangement of the rooks? Any rooks cannot take each other if a rook of other colour is placed between them.
- (15 credits)** 100 men sat at the Round Table, Each of them is either a knight who always tells the truth, or a knave who always lies. 28 of them gave a positive answer to the question 'Is the neighbour to your left a knight?'. What was the maximum number of liars sitting at the Round Table?
- (15 credits)** Kai divided a  $10 \times 10$  square ice plate into 3 parts and calculated the perimeter of each part. All perimeters were equal to  $N$ . What is the maximum possible  $N$ ?